

**Formula table:**

<b>Business Mathematics</b>	
$TC = (VC \times Q) + FC$	$Slope = \frac{y_2 - y_1}{x_2 - x_1}$
$TR = SP \times Q$	$Margin = SP - UVC$
$Net\ Income = (SP - UVC) \times (Q) - FC$	$Break\ Even\ Quantity = \frac{FC}{SP - UVC}$

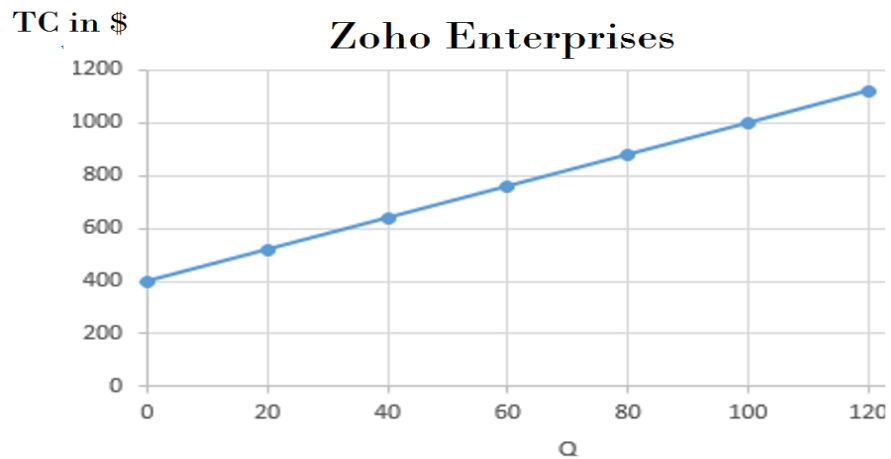
Q1. A restaurant in San Francisco made a total profit of \$143,000. If the restaurant had total costs of \$298,000 for the year, calculate the restaurant's total revenue for the year.

**Answer: TR = \$441,000**

Q2. A digital TV store in New York sells 150 flat TVs per month. Fixed Costs (FC) per month are \$6250 and the unit variable costs are \$2.50. How much are the total costs?

**Answer: TC = \$6,625**

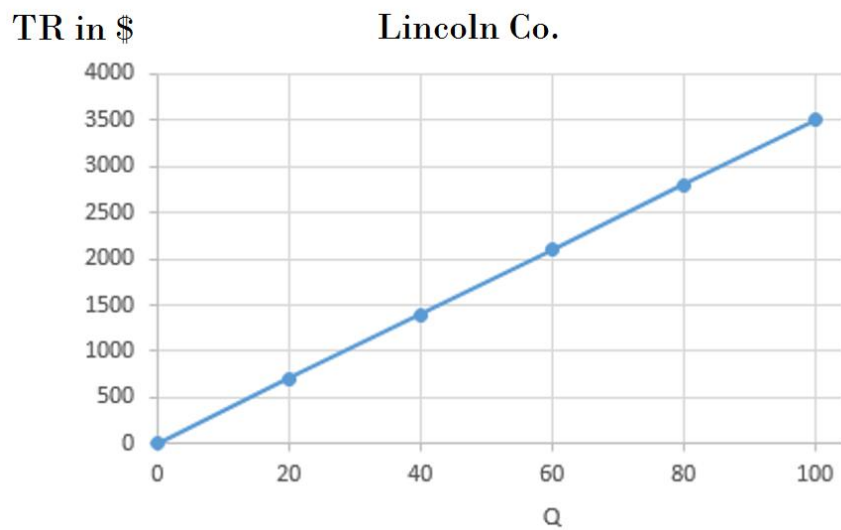
Q3. The graph below is a total cost graph for Zoho Enterprises.



Question: What are the fixed costs for Zoho Enterprises?

Answer: FC = \$400

Q4. The graph below is a total revenue graph for Lincoln Co.



Question 1: Calculate the selling price.

Answer: SP = \$35

Question 2: Write the total revenue equation.

Answer: TR = 35Q

(a) Calculate the total revenue if 65 units are sold.

Answer: TR = \$2275

Q5. The fixed costs for Super Furniture Store are \$125,450. The unit variable cost for producing a dinner table is \$950. The selling price of the same dinner table is \$1600.

a) Calculate the unit contribution margin for the dinner table.

Answer: UCM = \$650

b) Find the break-even quantity using the unit contribution margin.

Answer: Break-even Quantity = 193 tables

Q6. Circle the correct answer to complete the following sentence. A business makes a profit when -----

A) Total Revenue  $\leq$  Total Costs

B) Total Revenue  $>$  Total Costs

C) Total Revenue  $<$  Total Costs

D) Total Revenue  $\geq$  Total Costs

Answer: B

Q7. ABC Clothing make suits. The unit variable cost to make a suit is \$800. The selling price of a suit is \$1200. Fixed Costs for the period are \$32000. The capacity for the period is 200 suits.

1) Find the break-even point in units.

Answers:

$$TR = 1200Q$$

$$TC = 800Q + 32000$$

$$TR = TC$$

$$1200Q = 800Q + 32000$$

$$1200Q - 800Q = 32000$$

$$400Q = 32000$$

$$Q = 80$$

$$\text{Or using the formula } \frac{32000}{1200-800} = 80$$

2) Find the break-even point in dollars.

Answer: \$96000

3) Find the break-even point as percentage capacity.

Answer:

$$\frac{80}{200} = 0.4 = 40\%$$

4) If the sales volume is 70% of capacity, do they make a profit or loss?

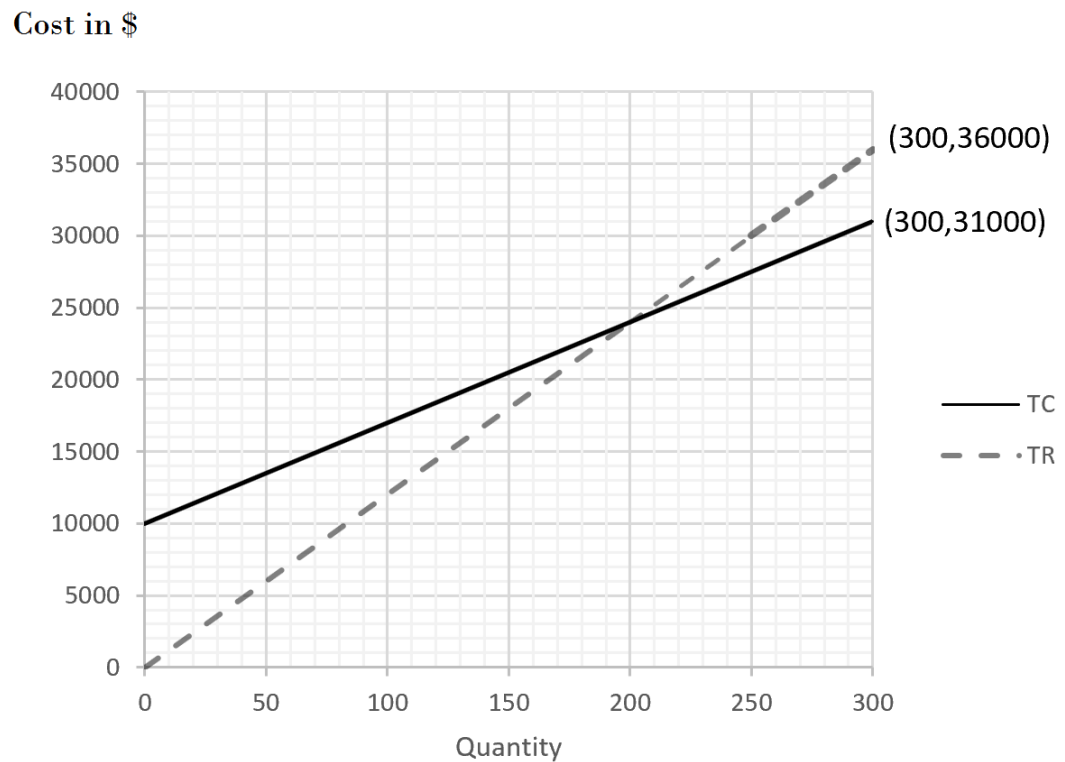
Explain.

Answer: Profit.

Since break-even point is at 40% capacity, anything above that will be profit.

Or any other reasonable explanation.

Q8. Use the graph below to answer the questions:



1) Label the regions of profit and loss on the graph.

Answers:

Area to the left of the break-even point: Loss (0.5 marks)

Area to the right of the break-even point: Profit (0.5 marks)

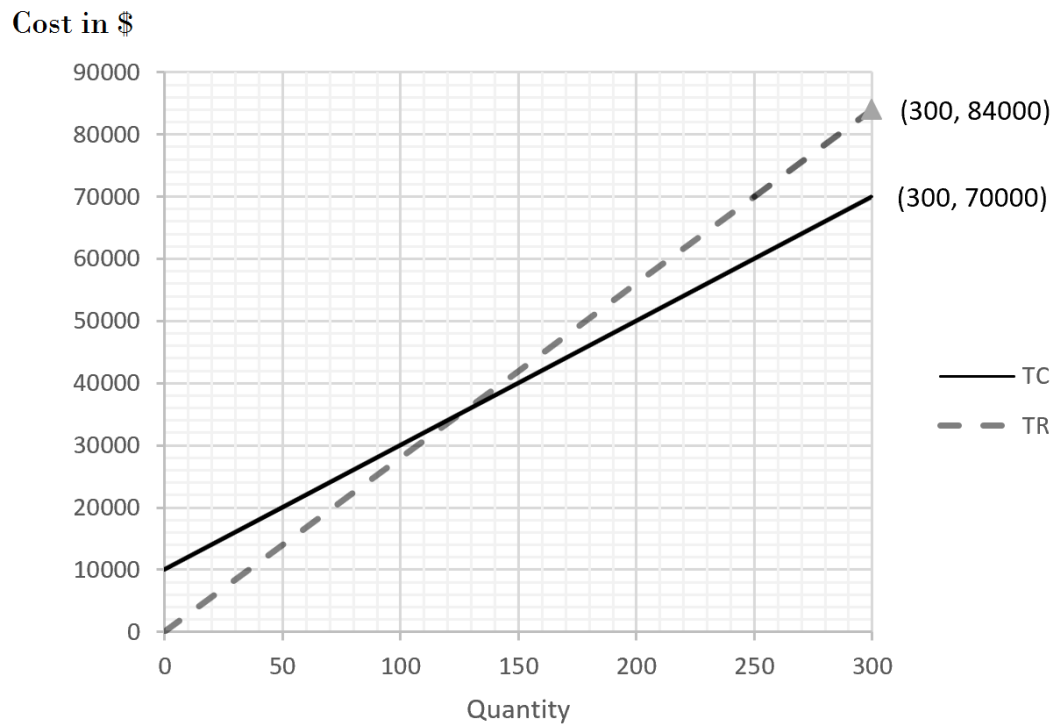
2) Calculate the net income at the full capacity.

Answer:

$$\text{Net income} = 36000 - 31000 = \$5,000$$

Reading the revenue from the graph = \$36,000

Q9. Use the graph below to answer the questions:



(a) Write the total cost equation.

$$\text{Finding slope} = \frac{70000 - 10000}{300} = 200$$

$$\text{Equation} = TC = 10000 + 200 \times Q$$

(b) If the SP per unit was \$280 and company made a profit of \$10,000, what quantity was sold?

Answers:

$$TR = 280 Q$$

$$NI = +10,000 = TR - TC = 280Q - (200Q + 10,000)$$

$$Q = 250$$

Q10. The variable cost of a certain unit is \$45. The selling price of the unit is \$75. The capacity for the period is 1000, and the fixed costs are \$6,000.

(a) Write the total cost equation if the variable cost is increased to \$60.

Answers:  $TC = 6000 + 60 \times Q$

(b) Write the total revenue equation when the selling price per unit is decreased by \$5.

Answer:  $TR = 70 \times Q$

(c) Find the new break-even point in units, using the new selling price and the unit variable cost as set in parts (a) and (b).

Answer:

$$\text{Break-even point in units} = \frac{6000}{70-60} = 600$$

Q11. The variable costs of a certain unit are \$80. The selling price of the unit is \$120. The capacity for the period is 1500, and the fixed costs are \$35000.

a) Calculate the break-even point in units.

Answer: Break-even point before the change =  $\frac{35000}{120-80} = 875 \text{ units}$

b) Calculate the break-even point in units if the fixed costs increase by 20%.

Answer:  $\text{New } FC = 35000 \times (1 + 0.20) = \$42,000$

$$\text{Break-even point after the change} = \frac{42000}{120-80} = 1050 \text{ units}$$

c) Compare your answers from parts (a) and (b). What change did you observe to the Break-even point in units?

Answer:  $1050 - 875 = 175$

Break-even point increases by 175 units.